

# Bucanon Syntax

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## The syntax of formulas

formula	in LaTeX notation	in Bucanon notation
<b>theory formula</b> $\tau$	non-empty string of letters ( $A, \dots, Z, a, \dots, z$ ), digits ( $0, 1, \dots, 9$ ), and the understroke ( $\_$ )	non-empty string of letters ( $A, \dots, Z, a, \dots, z$ ), digits ( $0, 1, \dots, 9$ ), and the understroke ( $\_$ )
<b>atom</b> $\alpha$	non-empty string of letters ( $A, \dots, Z, a, \dots, z$ ), digits ( $0, 1, \dots, 9$ ), and the understroke ( $\_$ )	non-empty string of letters ( $A, \dots, Z, a, \dots, z$ ), digits ( $0, 1, \dots, 9$ ), and the understroke ( $\_$ )
<b>boolean junction</b>		
<b>bit value</b>		
<b>zero bit</b>	?	?
<b>unit bit</b>	!	!
<b>negation</b>	$\neg\tau$	' $\tau$ $\neg\tau$
<b>conjunction</b>	$[\wedge]$ or $[\wedge\tau]$ or $[\tau_1 \wedge \dots \wedge \tau_n]$ with $n \geq 2$	$[,]$ or $[\tau]$ or $[\tau_1, \dots, \tau_n]$ with $n \geq 2$ $[*]$ or $[*\tau]$ or $[\tau_1 * \dots * \tau_n]$ with $n \geq 2$
<b>disjunction</b>	$[\vee]$ or $[\vee\tau]$ or $[\tau_1 \vee \dots \vee \tau_n]$ with $n \geq 2$	$[\;]$ or $[\;\tau]$ or $[\tau_1; \dots; \tau_n]$ with $n \geq 2$ $[+]$ or $[+\tau]$ or $[\tau_1 + \dots + \tau_n]$ with $n \geq 2$
<b>subjunction</b>	$[\tau_1 \rightarrow \tau_2]$	$[\tau_1 \rightarrow \tau_2]$
<b>equijunction</b>	$[\tau_1 \leftrightarrow \tau_2]$	$[\tau_1 \leftrightarrow \tau_2]$
<b>boolean relation</b>		
<b>subvalence</b>	$[\tau_1 \Rightarrow \tau_2]$	$[\tau_1 \Rightarrow \tau_2]$
<b>equivalence</b>	$[\tau_1 \Leftrightarrow \tau_2]$	$[\tau_1 \Leftrightarrow \tau_2]$
<b>expansion or reduction</b>		
<b>expansion</b>	$[\tau \parallel \lambda]$ or $[\tau \parallel \alpha_1 \alpha_2 \dots \alpha_n]$ with $n \geq 0$	$[\tau \parallel \lambda]$ or $[\tau \parallel \alpha_1 \alpha_2 \dots \alpha_n]$ with $n \geq 0$
<b>infimum reduction</b>	$[\tau \uparrow \lambda]$ or $[\tau \uparrow \alpha_1 \alpha_2 \dots \alpha_n]$ with $n \geq 0$	$[\tau < \lambda]$ or $[\tau < \alpha_1 \alpha_2 \dots \alpha_n]$ with $n \geq 0$
<b>supremum reduction</b>	$[\tau \downarrow \lambda]$ or $[\tau \downarrow \alpha_1 \alpha_2 \dots \alpha_n]$ with $n \geq 0$	$[\tau > \lambda]$ or $[\tau > \alpha_1 \alpha_2 \dots \alpha_n]$ with $n \geq 0$
<b>standard reduction</b>	$@ \tau$	$\emptyset \tau$
<b>atom list formula</b> $\lambda$		
<b>atom list</b>	$[\alpha_1 \alpha_2 \dots \alpha_n]$ with $n \geq 0$	$[\alpha_1 \alpha_2 \dots \alpha_n]$ with $n \geq 0$
<b>atom list function</b>	$@\tau$	$\emptyset\tau$
<b>negative atom list function</b>	$-\@\tau$	$-\emptyset\tau$
<b>positive atom list function</b>	$+\@\tau$	$+\emptyset\tau$

## The syntax of boolean formulas (a subset of theory formulas)

boolean formula $\varphi$	in LaTeX notation	in Bucanon notation
<b>atom</b> $\alpha$	non-empty string of letters ( $A, \dots, Z, a, \dots, z$ ), digits ( $0, 1, \dots, 9$ ), and the understroke ( $\_$ )	non-empty string of letters ( $A, \dots, Z, a, \dots, z$ ), digits ( $0, 1, \dots, 9$ ), and the understroke ( $\_$ )
<b>boolean junction</b>		
<b>bit value</b>		
<b>zero bit</b>	?	?
<b>unit bit</b>	!	!
<b>negation</b>	$\neg\varphi$	' $\varphi$ $\neg\varphi$
<b>conjunction</b>	$[\wedge]$ or $[\wedge\varphi]$ or $[\varphi_1 \wedge \dots \wedge \varphi_n]$ with $n \geq 2$	$[,]$ or $[\varphi]$ or $[\varphi_1, \dots, \varphi_n]$ with $n \geq 2$ $[*]$ or $[*\varphi]$ or $[\varphi_1 * \dots * \varphi_n]$ with $n \geq 2$
<b>disjunction</b>	$[\vee]$ or $[\vee\varphi]$ or $[\varphi_1 \vee \dots \vee \varphi_n]$ with $n \geq 2$	$[\;]$ or $[\;\varphi]$ or $[\varphi_1; \dots; \varphi_n]$ with $n \geq 2$ $[+]$ or $[+\varphi]$ or $[\varphi_1 + \dots + \varphi_n]$ with $n \geq 2$
<b>subjunction</b>	$[\varphi_1 \rightarrow \varphi_2]$	$[\varphi_1 \rightarrow \varphi_2]$
<b>equijunction</b>	$[\varphi_1 \leftrightarrow \varphi_2]$	$[\varphi_1 \leftrightarrow \varphi_2]$